



Elmer FEM Webinar Series

CSC, Espoo, Finland
via Zoom

Thursdays

15 EET, 14 CET, 8 ET, 22 JST

Spring 2021

Practical guidelines for the webinar

- For questions that you want answered use the Q&A
 - Will be addressed at the end of the presentation
- Chat may be used for general discussion
 - You may write about your application area, geographic location etc.
- The presentation slides will be made available at
 - <https://www.nic.funet.fi/pub/sci/physics/elmer/webinar/>
- This webinar will be recorded and will for most parts be available later on youtube

Elmer FEM webinar series - program



- 11.3. Peter Råback & Thomas Zwinger: *Introduction to Elmer & How to teach yourself Elmer*
- 18.3. Peter Råback & Jonathan Velasco: *Overview of capabilities of Elmer - where to go from here?*
- 25.3. Peter Råback & Thomas Zwinger: *Parallel Computing with Elmer*
- 1.4. Juris Vencels: *Elmer-OpenFOAM library*
- 8.4. Eelis Takala & Frederic Trillaud: *Electrical circuits with Elmer with applications*
- 15.4. Mika Malinen: *Solvers for solid mechanics - Recent progress*
- 22.4. Minhaj Zaheer:
Induction Machine Open-source FEA Computations comparison with Measurement and Commercial FEA
- 29.4. Arved Enders-Seidlitz: *pyelmer - Python interface for Elmer workflow*
- 13.5. Roman Szewczyk, Anna Ostaszewska-Lizewska, Dominika Kopala & Jakub Szałatkiewicz:
Industrial applications oriented, microwave modelling in Elmer
- Additional slots available: contact organizers if you're interested!



Overview of capabilities of Elmer

Physical models and
some of their common features

ElmerTeam

CSC – IT Center for Science, Finland

Elmer FEM webinar

2021

Outline for today

- Overview of physical models
 - From Models Manual
 - Example: 12 Solvers
- Library features used by many/all models
 - Iteration scheme & coupling
 - Generality of fetching Real valued keywords
 - Executions of solver
 - Time dependency modes
 - Bounday conditions
 - Mapping between boundaries and meshes
 - ...
- Where to go next?

Example of minimal sif file



! Minimal sif file example

Check Keywords "Warn"

Header :: Mesh DB "." "square"

Simulation

```
Max Output Level = 5
Coordinate System = Cartesian
Simulation Type = Steady
Output Intervals(1) = 1
Steady State Max Iterations = 1
Post File = "case.vtu"
```

End

Body 1

```
Equation = 1
Material = 1
```

End

Equation 1

```
Active Solvers(1) = 1
```

End

Solver 1

```
Equation = "HeatEq"
Variable = "Temperature"
Procedure = "HeatSolve" "HeatSolver"
Linear System Solver = Direct
```

End

Material 1

```
Heat Conductivity = 1.0
```

End

Boundary Condition 1

```
Name = "Fixed"
Target Boundaries(1) = 1
Temperature = 0.0
```

End

Boundary Condition 2

```
Name = "Flux"
Target Boundaries(1) = 2
Heat Flux = 1.0
```

End

solver
specific
keywords

A diagram consisting of a rectangular box on the right side of the slide containing the text 'solver specific keywords'. Four arrows originate from the left side of this box and point to specific keywords in the code blocks: 'HeatSolve' in the Solver 1 block, 'Heat Conductivity' in the Material 1 block, 'Temperature' in the Boundary Condition 1 block, and 'Heat Flux' in the Boundary Condition 2 block.

Elmer – abstraction of Solvers



- High level of abstraction ensures flexibility in implementation and simulation
- Solver is an abstract dynamically loaded object with standard API
 - Solver may be developed and compiled without touching the main library
 - No upper limit to the number of Solvers
- Solvers may be active in different domains, and even meshes
 - Automatic mapping of field values when requested!
- Solvers perform limited well defined tasks
 - Solution of a PDE (roughly 50%)
 - Computing some postprocessed fields
 - Saving of results
 -
- Solver may utilize a large selection of services from the library
 - The library has (almost) no knowledge of physical models

Physical Models of Elmer -> Elmer Models Manual



- Heat transfer
 - ✓ Heat equation
 - ✓ Radiation with view factors
 - ✓ convection and phase change
- Fluid mechanics
 - ✓ Navier-Stokes (2D & 3D)
 - ✓ RANS: $SST\ k-\Omega$, $k-\varepsilon$, v^2-f
 - ✓ LES: VMS
 - ✓ Thin films: Reynolds (1D & 2D)
- Structural mechanics
 - ✓ General elasticity (anisotropic, lin & nonlin)
 - ✓ Plates & Shells
- Acoustics
 - ✓ Helmholtz
 - ✓ Linearized time-harmonic N-S
 - ✓ Monolithic thermal N-S
- Species transport
 - ✓ Generic convection-diffusion equation
- Electromagnetics
 - ✓ Solvers for either scalar or vector potential (nodal elements)
 - ✓ Edge element based AV solver for magnetic and electric fields
- Mesh movement (Lagrangian)
 - ✓ Extending displacements in free surface problems
 - ✓ ALE formulation
- Level set method (Eulerian)
 - ✓ Free surface defined by a function
- Electrokinetics
 - ✓ Poisson-Boltzmann
- Thermoelectricity
- Quantum mechanics
 - ✓ DFT (Kohn Sham)
- Particle Tracker

Most important physical modules in Elmer?

Historically main solver in each field

- **HeatSolve**

- Heat equation
- Radiation with view factors
- convection and phase change

- **FlowSolve**

- Robust solver for low Re-flows
- Nonlinear fluids, slip conditions,..
- Key solver for Elmer/Ice community

- **StressSolve**

- Versatile solver for linear elasticity

- **WhitneyAVSolver**

- Hcurl conforming elements
- Key solver for Elmer/EM community

Solvers with unresolved potential

- **ShellSolver**

- Enables economical treatment of thin structures
- Now can be combined with 3D elasticity

- **VectorHelmholtz**

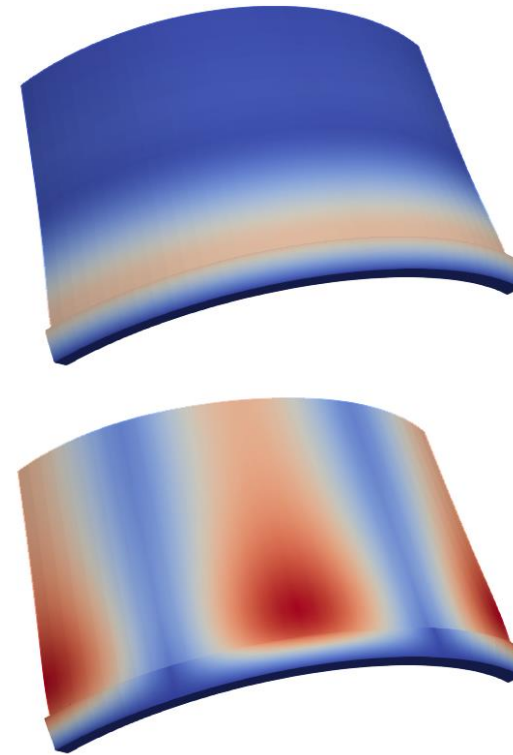
- Hcurl basis
- Electromagnetics wave solver

- **ModelMixedPoisson**

- Hybrid solution employing Hdiv basis

- **ParticleAdvect**

- Uses particles to advect fields without diffusion
- Particles & finite elements often a good combination



Series 1. Question 1. (one choice)



- Number of solvers in your most complicated Elmer simulation setup so far?
 - Zero
 - 1
 - 2-3
 - 4-6
 - 7-10
 - >10

Undocumented Models



AllocateSolver.F90	% just dummy solver for allocation	OdeSolver.F90	% ordinary differential equation solver
CoordinateTransform.F90	% RotMSolver: using distances create direction	PartitionMesh.F90	% partition mesh solver
CraigBamptonSolver.F90	% model reduction solver	PoissonDG.F90	
DCRComplexSolve.F90	% complex diffusion-convection-reaction	Poisson.F90	
DFTSolver.F90	% charge density using the eigenvectors	RigidBodyReduction.F90	% reduction of rigid pieces
DirectionSolver.F90		SaveMesh.F90	% mesh saving
DistanceSolve.F90	% compute distance in two methods	ScannedFieldSolver.F90	% treating scanned field solutions
DistributeSource.F90	% local to global mesh sources	ShallowWaterNS.F90	
ElementSizeSolver.F90	% element size with Galerkin	ShearRateSolver.F90	
EliminateDirichlet.F90		Spalart-Allmaras.F90	% turbulence
EliminatePeriodic.F90		SSTKomega.F90	% turbulence
EnergyRelease.F90	% energy release rate for crack propagation	StatCurrentSolveVec.F90	% new version of StatCurrentSolve
FacetShellSolve.F90		ThermoElectricSolver.F90	% strongly coupled thermal & electrostatics
FDiffusion3D.F90	% Complex nodal equation for vector fields	TransientCost.F90	% integral over cost
FDiffusion.F90	% Complex nodal equation for scalar fields	UMATLib.F90	
HeatSolveVec.F90	% new generation HeatSolve	V2FSolver.F90	% turbulence
HelmholtzProjection.F90	% purifying vector potential	WPotentialSolver.F90	% potential for directions
IncompressibleNSVec.F90	% new generation flowsolve		
KESolver.F90	% turbulence		
Komega.F90	% turbulence		
Mesh2MeshSolver.F90	% interpolation		
MeshChecksum.F90	% utility to check mesh consistency		
ModelPDE.F90	% simple advection-diffusion-reaction		
NormalSolver.F90	% calculate normal		

- 76 models have been documented
- Tens of modules have not been documented!
- Some are of little use but might find users if people would find them.
- 5 undocumented turbulence models exist but they are not that robust...

Example: TwelveSolvers2D

- The purpose of the example is to show how number of different solvers are used
- The users should not be afraid to add new atomistic solvers to perform specific tasks
- A case of 12 solvers is rather rare, yet not totally unrealistic
- Added now also as test case

- Square with hot and cold walls
- Filled with viscous fluid
- Bouyancy modeled with Boussinesq approximation
- Temperature difference initiates a convection roll

**Cold
wall**

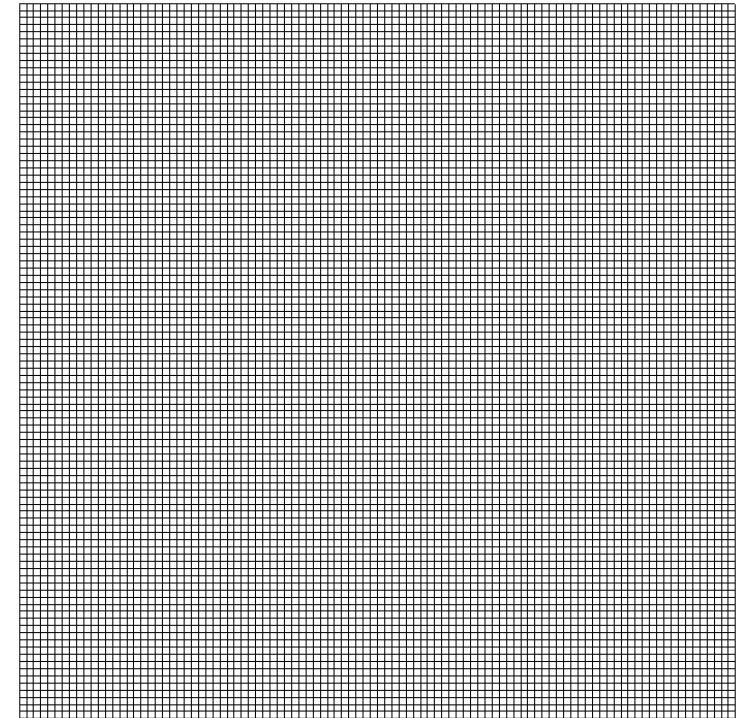


**Hot
wall**

test case: TwelveSolvers2D

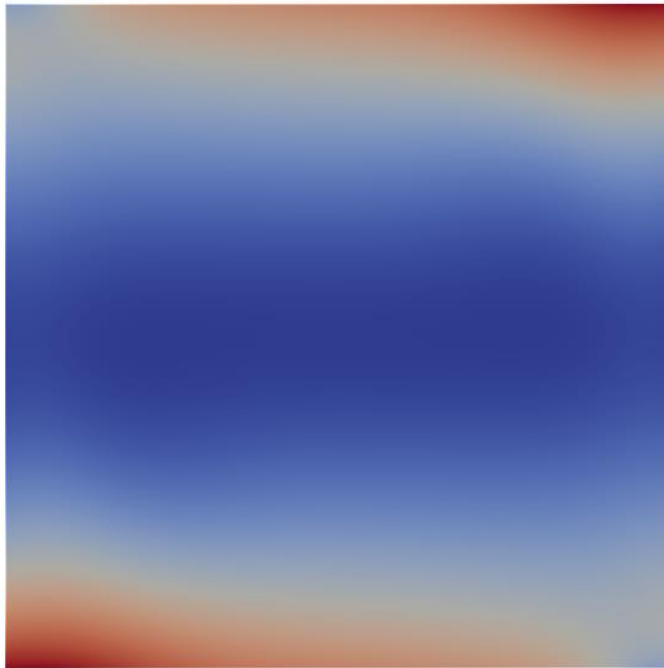
Example: the 12 solvers

1. HeatSolver
 2. FlowSolver
- Weakly coupled system iterated until convergence
-
3. FluxSolver: solve the heat flux
 4. StreamSolver: solve the stream function
 5. VorticitySolver: solve the vorticity field (curl of vector field)
 6. DivergenceSolver: solve the divergence
 7. ShearRateSolver: calculate the shear rate
 8. IsosurfaceSolver: generate an isosurface at given value
 9. ResultOutputSolver: write data
 10. SaveGridData: save data on uniform grid
 11. SaveLine: save data on given lines
 12. SaveScalars: save various reductions

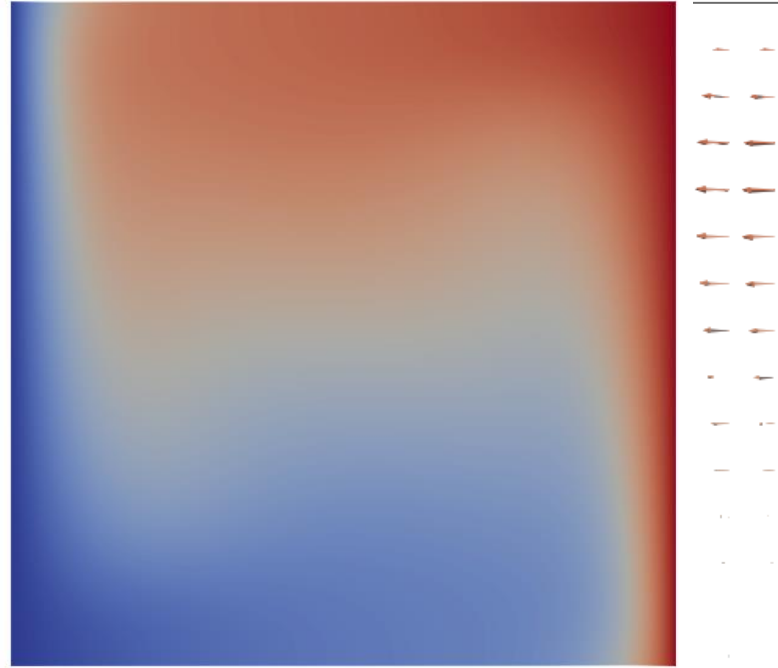


Mesh of 10000 bilinear elements

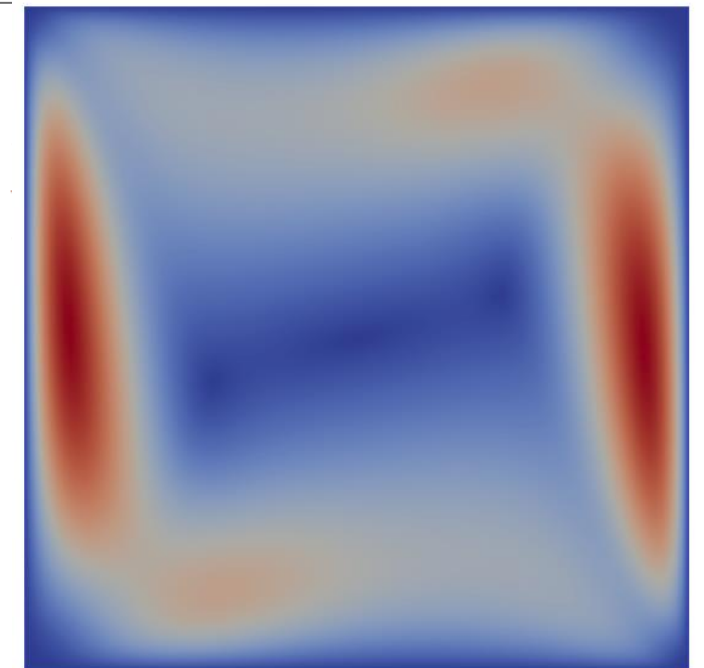
Example: Primary fields for natural convection



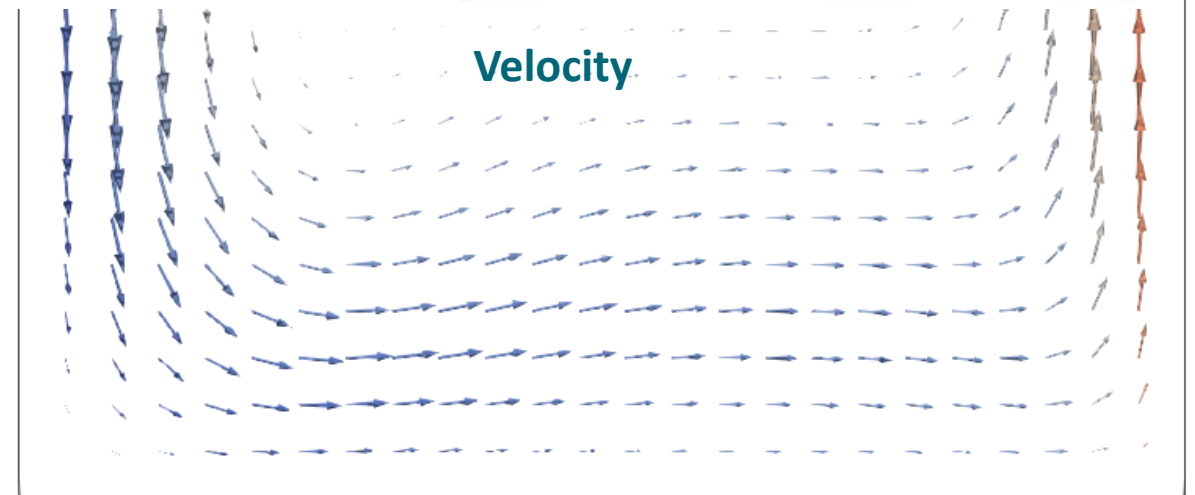
Pressure



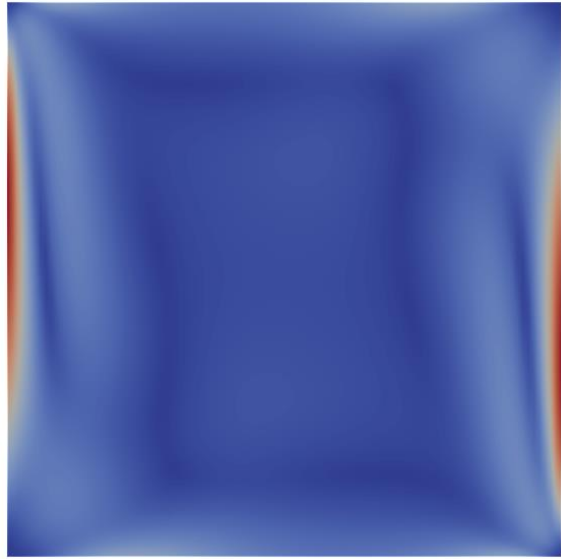
Temperature



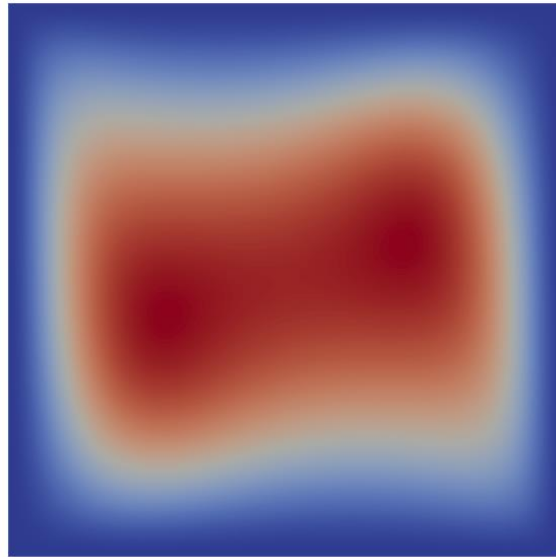
Velocity



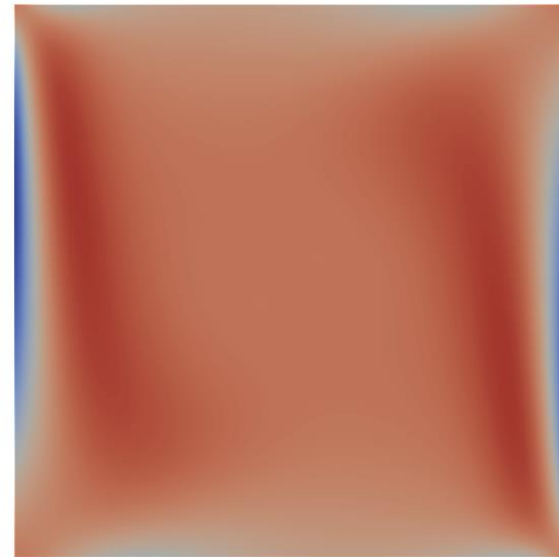
Example: Derived fields for Navier-Stokes solution



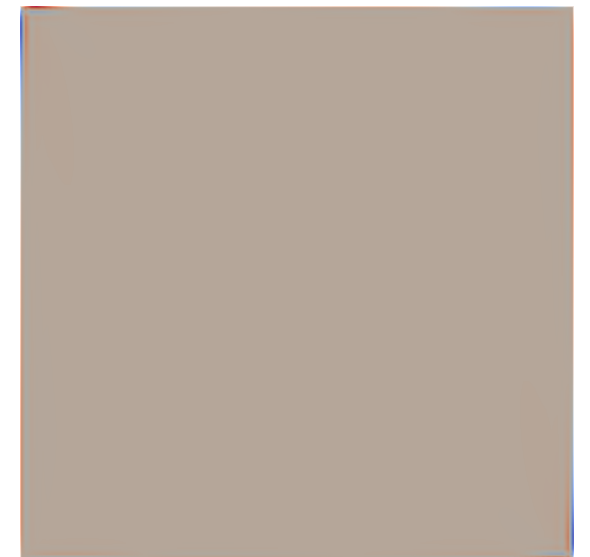
Shear rate field



Stream function

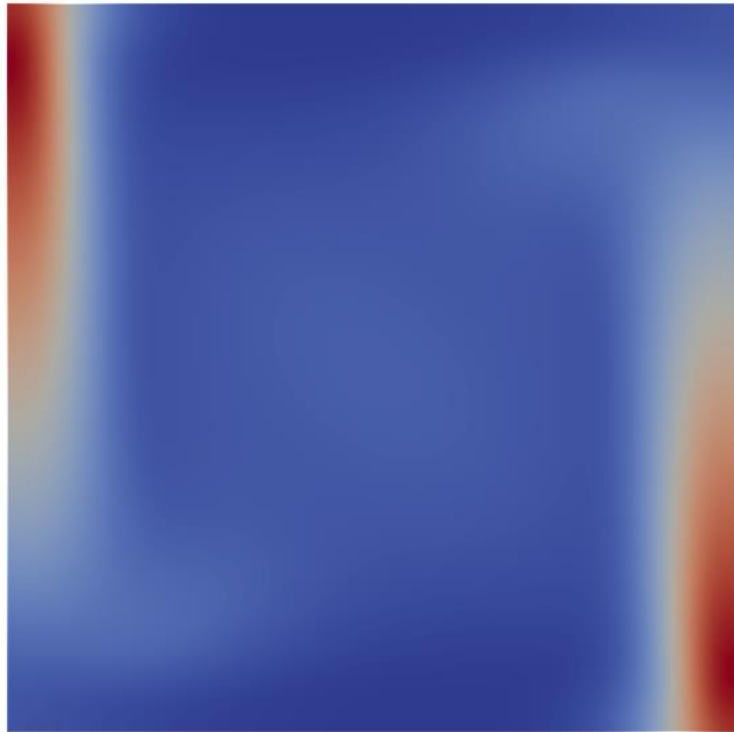


Vorticity field

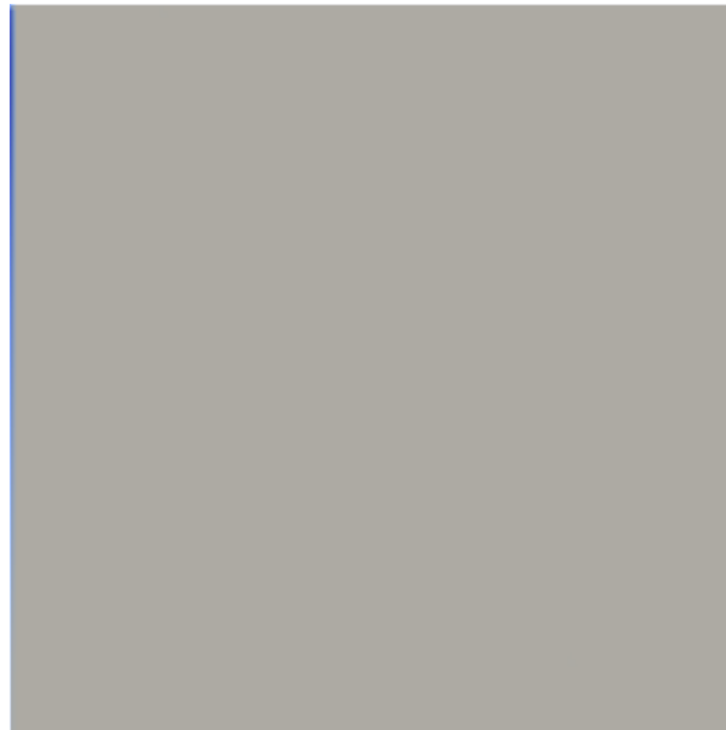


Divergence field

Example: Derived fields for heat equation



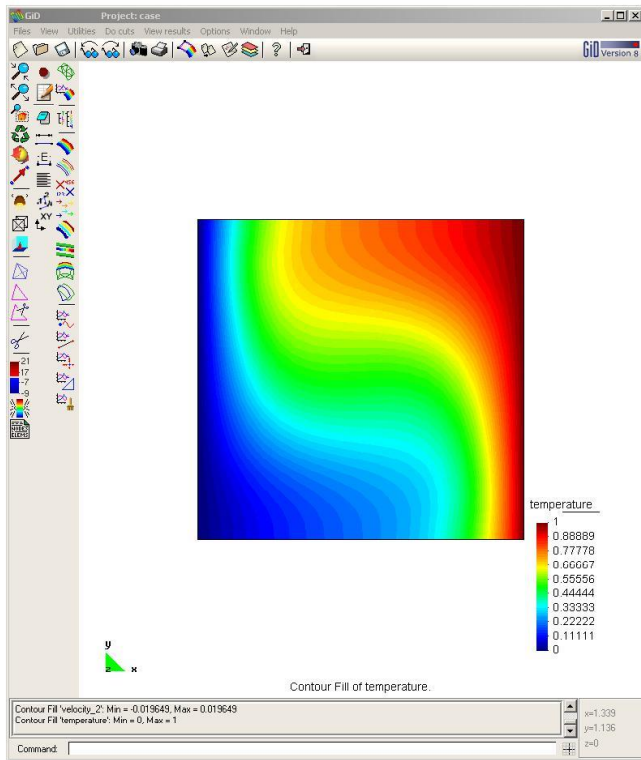
Heat flux



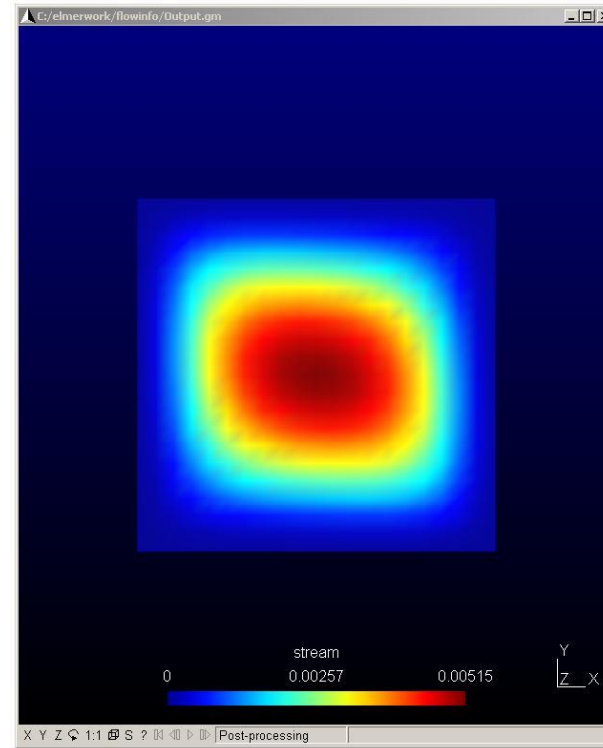
Nodal heat loads

- Nodal loads only occur at boundaries (nonzero heat source)
- Nodal loads are associated to continuous heat flux by element size factor

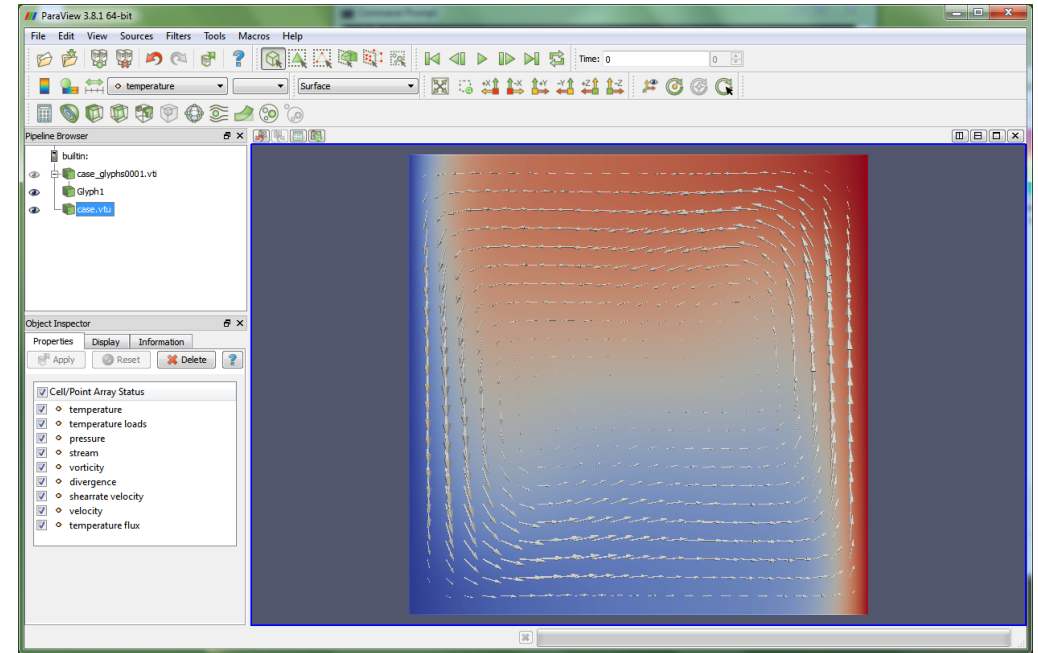
Example: Visualization in different postprocessors



GiD



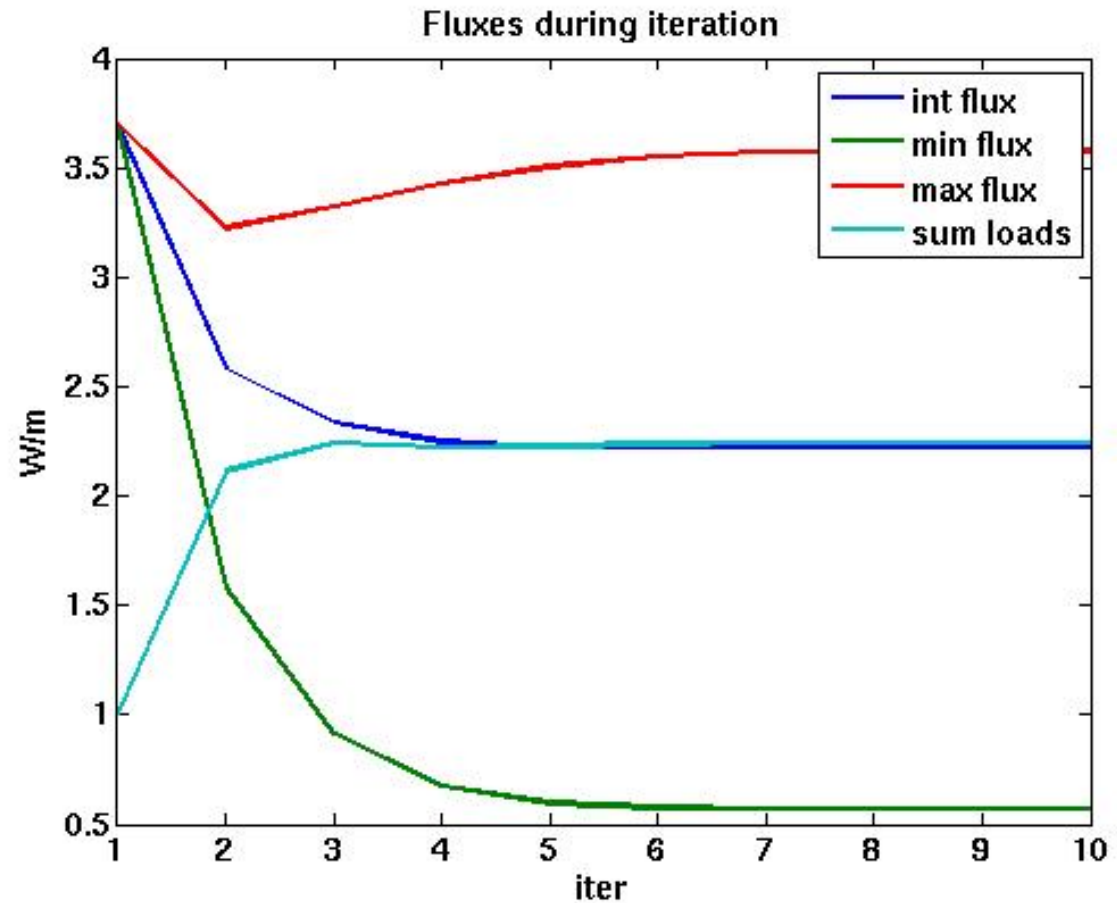
gmsh



Paraview

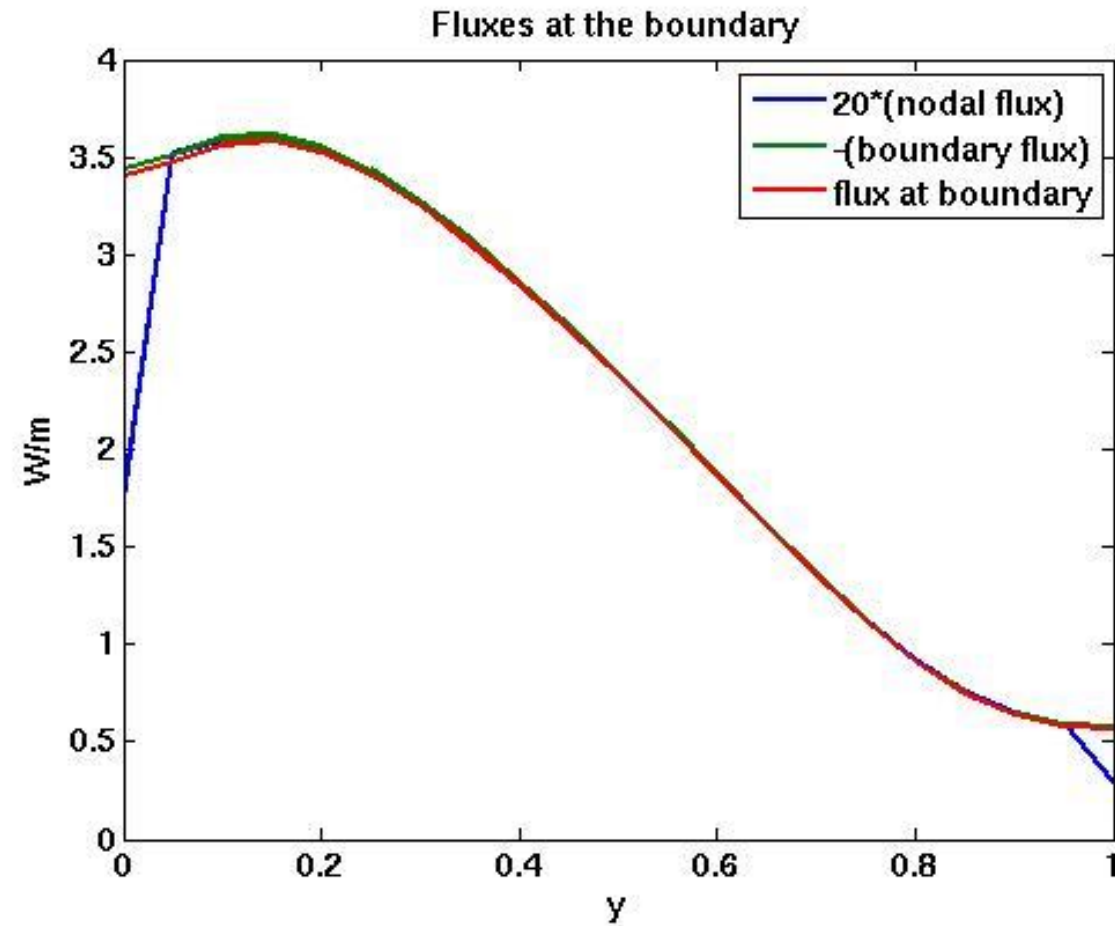
Example: total flux

- Saved by SaveScalars
- Two ways of computing the total flux give different approximations
- When convergence is reached the agreement is good



Example: boundary flux

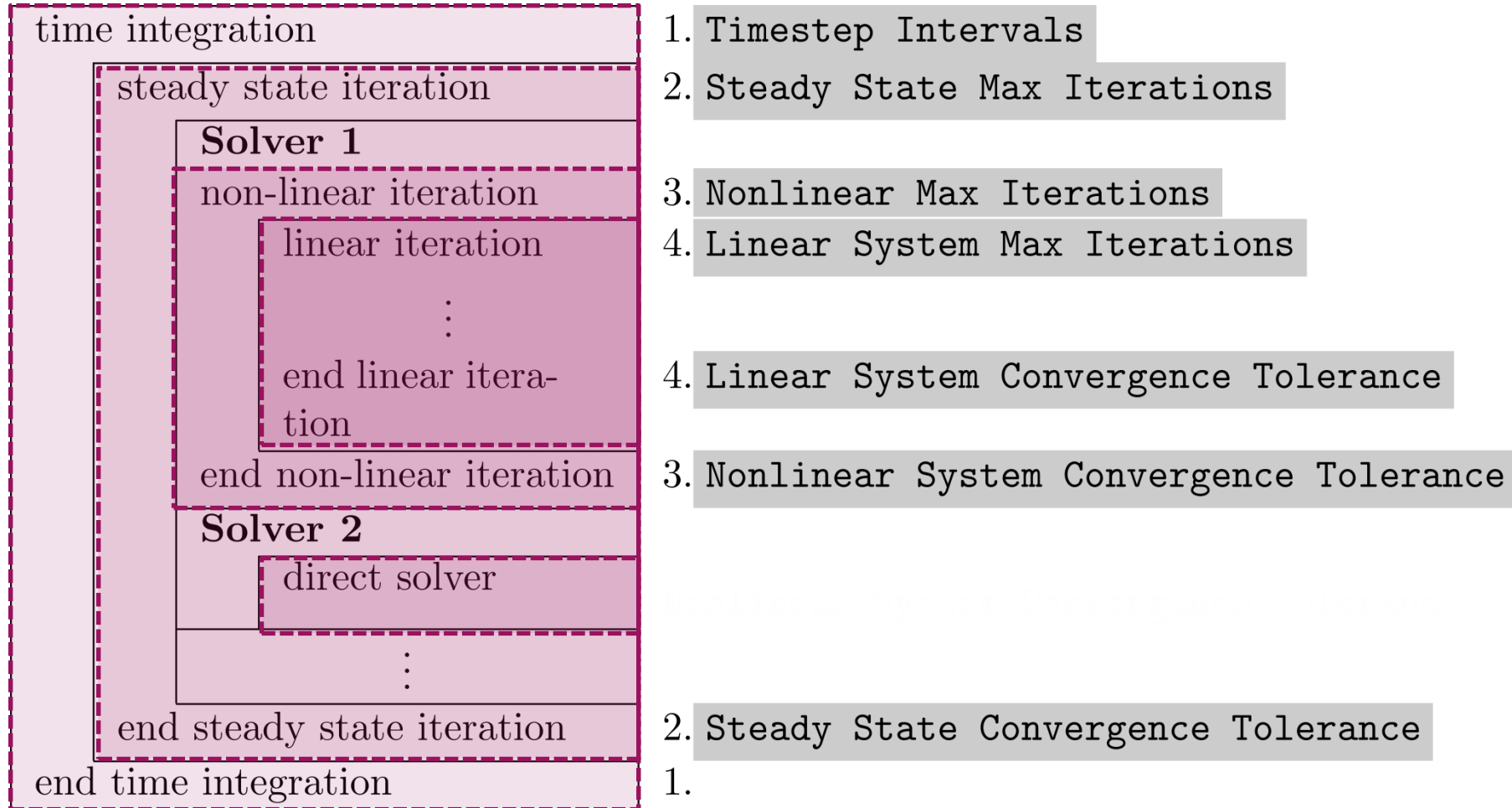
- Saved by SaveLine
- Three ways of computing the boundary flux give different approximations
- At the corner the nodal flux should be normalized using only $h/2$



Some common features for PDE solvers

- Iteration scheme & coupling: linear, nonlinear & steady state level
- Generalized fetching of keywords
- Execution of Solvers
- Time dependency modes
- Finite element basis
- Dirichlet BCs
- Nodal loads
- Shared boundary conditions
- Overlapping meshes
- ...

Nested iterations in Elmer as defined by the SIF file



Solution of linear system

- Keywords starting with “**Linear System**”
- The lowest level operation
- Tens of different techniques in serial and parallel
- We will go through these next week!

Solution of nonlinear system

- Keywords starting with “**Nonlinear System**”
- The level for iterating over one single nonlinear equation
 - By default ElmerGUI assumes nonlinear iteration => always two iterations

Solver i

Nonlinear System Max Iterations = Integer

Nonlinear System Convergence Tolerance = Real

Nonlinear System Relaxation Factor = Real

Nonlinear System Convergence Measure = String

Nonlinear System Newton After Tolerance = Real

Nonlinear System Newton After Iterations = Real

Nonlinear system consistent norm = Logical

...

$$u'_i = \lambda u_i + (1 - \lambda)u_{i-1}$$

“norm”

$$\delta = 2 * ||u_i| - |u_{i-1}|| / (|u_i| + |u_{i-1}|)$$

“solution”

$$\delta = 2 * |u_i - u_{i-1}| / (|u_i| + |u_{i-1}|)$$

“residual”

$$\delta = |Ax_{i-1} - b| / |b|$$

Solution of coupled system

- Keywords starting with "**Steady State**"
- The level for iterating over set of Solvers to find the solution satisfying all of them

Simulation

Steady State Max Iterations = Integer

Steady State Min Iterations = Integer

Solver i

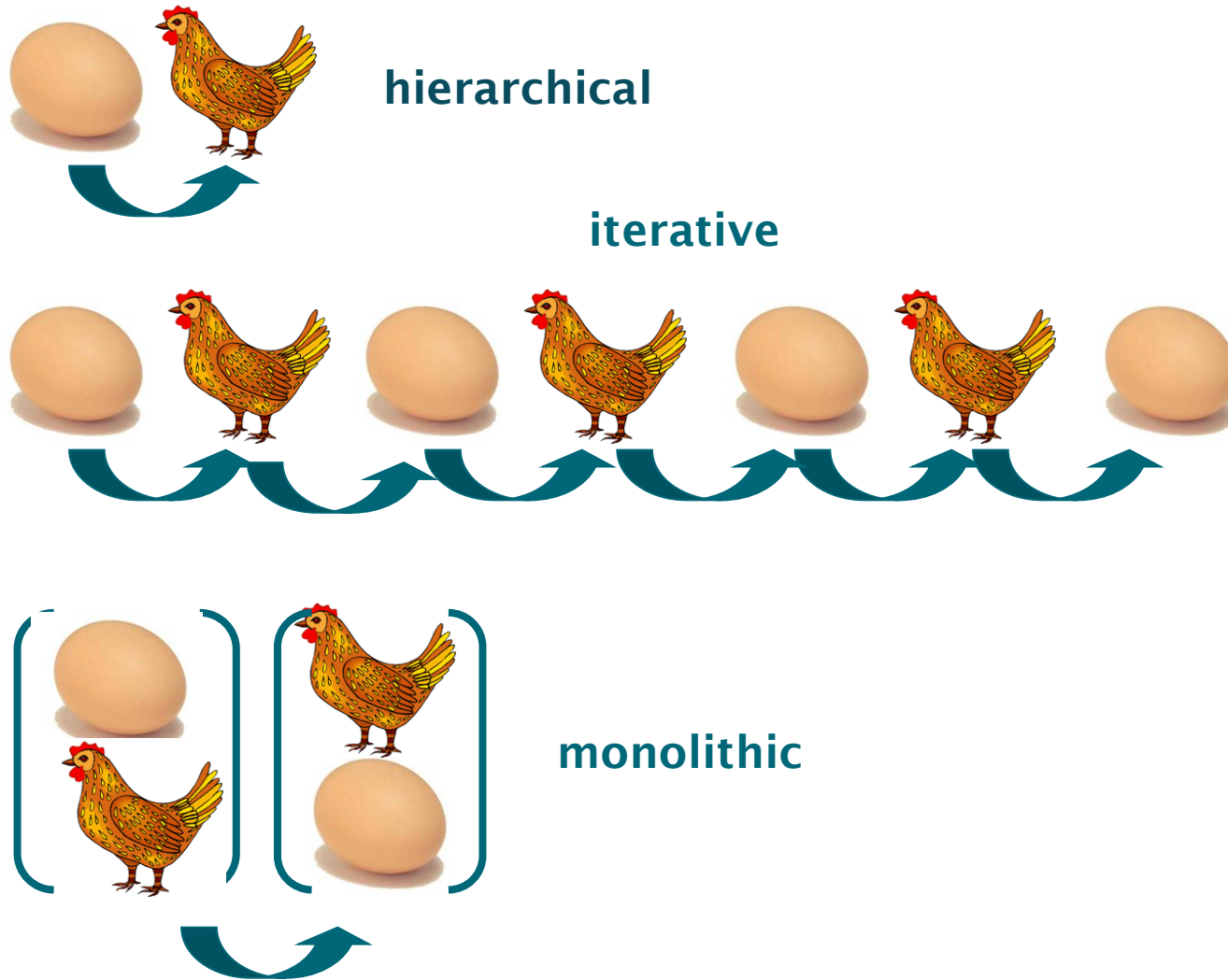
Steady State Convergence Tolerance = Real

Steady State Relaxation Factor = Real

Steady State Convergence Measure = Real

...

Solution strategies for coupled problems



Assume phenomena \mathcal{F} and \mathcal{G} that both depend on field variables x and y . Solution is obtained from a system of equations, $f(x, y) = 0$ and $g(y, x) = 0$.

one-directional coupling \Rightarrow **hierarchical solution**

$$\begin{aligned} f(x_1) &= 0 \\ \Rightarrow g(y_1, x_1) &= 0 \end{aligned}$$

weak coupling \Rightarrow **iterative or segregated solution**

$$\begin{cases} f(x_{m+1}, y_m) = 0 \\ g(y_{m+1}, x_{m+1}) = 0 \end{cases}$$

strong coupling \Rightarrow **monolithic solution**

$$\begin{bmatrix} f(x_{m+1}, y_{m+1}) \\ g(y_{m+1}, x_{m+1}) \end{bmatrix} = \begin{bmatrix} 0 \\ 0 \end{bmatrix}$$

Monolithic approach requires iteration if either f or g is nonlinear.

Weak coupling in Elmer

- Parameters in equations depend on field values
 - Nonlinear iteration within on Solver
 - Coupled system iteration among solvers
- Consistency in ensured within nested iterations
- E.g. case of natural convection
 - Force on the Navier-Stokes depends on the temperature of the heat equation
 - Convection velocity in the heat equation depends on the solution of the Navier-Stokes equation
- Some dependencies have been “coded in” while others take use of the generic way to give **Real** valued keywords in Elmer

Real valued keyword functions

1) Tables can be use to define a piecewise linear (or cubic) dependency of a variable

Density = Variable Temperature

Real cubic

173 990

273 1000

373 1010

End

Inside range: Interpolation

Outside range: Extrapolation!

2) MATC: a library for numerical evaluation of mathematical expressions

Density = Variable Temperature

MATC "1000*(1 - 1.0e-4*(tx(0)-273.0))"

or as constant expressions

3) LUA: external library, faster than MATC

Density = Variable Temperature

LUA "1000*(1 - 1.0e-4*(tx[0]-273.0))"

4) User defined function

Density = Variable Temperature

Procedure "mymodule" "myproc"

Four ways to present:

$$\rho = \rho_0(1 - \alpha(T - T_0))$$

Example of F90 User Function



File mymodule.F90:

```
FUNCTION myproc( Model, n, T ) RESULT(dens)
USE DefUtils
IMPLICIT None
TYPE(Model_t) :: Model
INTEGER :: n
REAL(KIND=dp) :: T, dens

    dens = 1000*(1-1.0d-4 *(T-273.0_dp))

END FUNCTION myproc
```

Compilation script comes with installation: **elmerf90**

Linux

```
$ elmerf90 mymodule.F90 -o mymodule.so
```

Windows

```
$ elmerf90 mymodule.F90 -o mymodule.dll
```

ElmerSolver - Controlling execution order of Solvers

- By default each a Solver is executed in order of their numbering numbering
- **"Exec Solver"** keyword can be used to alter this
 - **"always"** – execute in the coupled system loop of the nested iteration
 - **"before all"** or **"before simulation"** -
 - **"after all"** or **"after simulation"** – perform something
 - **"before saving"** – perform before saving sequence, maybe compute something for saving
 - **"after saving"** – perform after saving sequence, maybe save something
 - **"before timestep"** – perform before timestep only
 - **"after timestep"** – perform after timestep only
 - **"never"** – skip solver for debugging etc.
- **"Slave solver"** slots (rather new feature) may be used to have some master Solver call other solvers within their execution.
 - Added flexibility to complex cases

ElmerSolver – Time dependency modes

- Transient simulation
 - 1st order PDEs:
 - Backward differences formulae (BDF) up to 6th degree
 - Newmark Beta (Cranck-Nicolson with $\beta=0.5$)
 - 2nd order Runge-Kutta
 - Adaptive timestepping
 - 2nd order PDEs:
 - Bossak
- Steady-state simulation
- Scanning
 - Special mode for parametric studies etc.
- Harmonic simulation
- Eigenmode simulation
 - Utilizes (P)Arpack library

Simulation

Simulation Type = Transient

Timestep Intervals = 100

Timestep Sizes = 0.1

Timestepping Method = implicit euler

Simulation Type = Steady

Simulation Type = Scanning

Eigen Analysis

- Any 2nd order PDE may be solved as an eigen system
 - $d/dt \rightarrow i\omega$
- Example, eigenmodes from Smitc, the plate equation

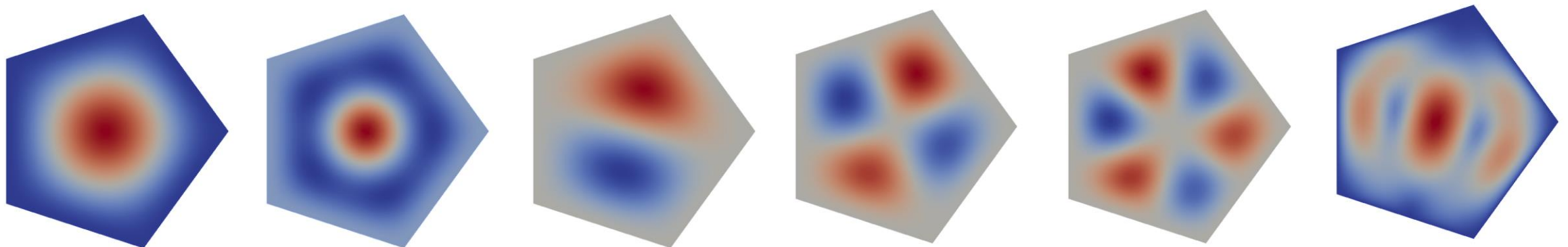
Solver i

Eigen Analysis = True

Eigen System Values = 10

Eigen System Convergence Tolerance = 1.0e-6

Eigen System Select = Smallest Magnitude

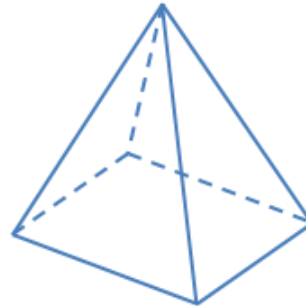


ElmerSolver – Finite element shapes

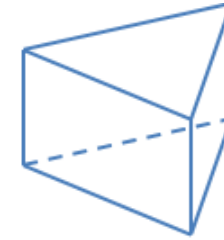
- Element shapes are define already in the mesh files
- 0D: vertex
- 1D: edge
- 2D: triangles, quadrilateral
- 3D: tetrahedrons, prisms, pyramids, hexahedrons



Triangle



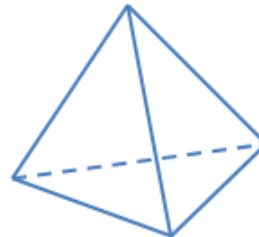
Pyramid



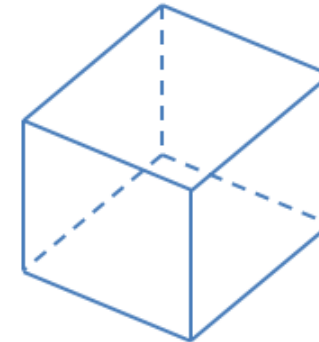
Prism with triangular base



Quadrilateral



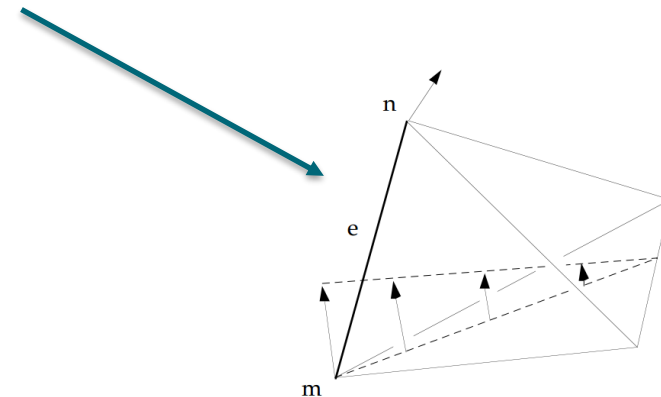
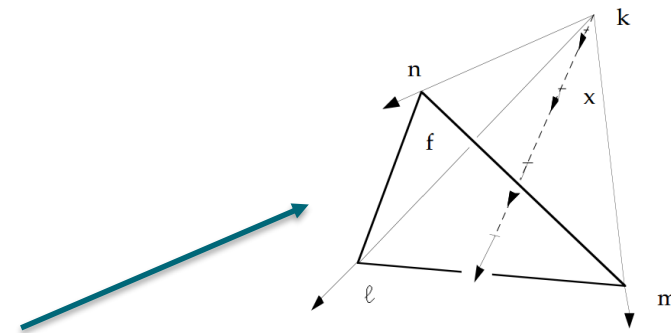
Tetrahedron



Hexahedron

ElmerSolver – Finite element basis functions

- Element types and formulations are applied on elements Solver-wise
- Element families
 - Nodal (up to 2-4th degree)
 - p-elements (hierarchical basis)
 - Edge & face –elements
 - $H(\text{div})$ - often associated with "face" elements)
 - $H(\text{curl})$ - often associated with "edge" elements)
- Formulations
 - Galerkin, Discontinuous Galerkin
 - Stabilization
 - Residual free bubbles



Examples of FEM basis

- Different equations may require different basis functions beyond the standard nodal finite element basis
- Solvers supporting p-elements (here 3rd order), e.g. **ModelPDE**
 - **Element = p:3**
- Lowest order **Hcurl** elements for **WhitneyAVSolver**
 - **Element = n:1 e:1** ! Hidden from end-user
- Lowest order **Hdiv** elements for **ModelMixedPoisson**
 - **Element = n:0 -tetra b:1 -brick b:25 -quad_face b:4 -tri_face b:1** ! Hidded from end-user
- ...

ElmerSolver: Exported Variables

- Any solver may allocate additional variables called **“Exported Variables”**
- These may be used for various uses, for example create derived fields easily
 - May be used in the same way for **“Initial Condition”** as regular variables.
 - May be updated if defined in **“Body Force”** section and **“Update Exported Variables”** is requested.
- Often defined inside the code
- Exported variables may be of different types
 - **-nodal, -elem, -dg, -ip**

$$k = A e^{\frac{-E_a}{RT}}$$

A – Arrhenius constant (frequency factor)

E_a – activation energy (J mol⁻¹)

R – gas constant (8.31 J K⁻¹ mol⁻¹)

#R=8.31

#Ea=123.4

#A=5.67e-3

Solver i

Exported Variable 1 = Rate

Updated Exported Variables = True

Body Force j

Rate = Variable “Tempature”

Real LUA “A0*exp(-Eact/(R*tx[0]))”

ElmerSolver - Dirichlet Conditions

- Dirichlet keywords are set by the library for "**Vurname**"
 - **Temperature = 273.0**
 - **Velocity = Variable "Coordinate 2"; Real LUA "4*tx[0]*(1-tx[0])"**
 - **AV {e} = 0.0** ! For edge degree of freedom
- Conditional Dirichlet conditions "**Vurname Condition**"
 - Applied only when condition is positive
 - **Temperature = 273.0**
Temperature Condition = Equals "Velocity 1" ! Set temperature for inflow only
- Boundary Condition i
- Body Force i
 - Enables bodywise Dirichlet conditions also

ElmerSolver – Computing nodal forces

- ElmerSolver allows for automatic computation of nodal forces from matrix equation: $\mathbf{f}=\mathbf{A}_o\mathbf{x}-\mathbf{b}$
- These are reactions to Dirichlet conditions that give equivalent r.h.s. terms that would result in exactly the same solution
 - **HeatSolve**: nodal heat flux (**Joule**)
 - **FlowSolve**: nodal force (**Newton**)
 - **StressSolve**: nodal force (**Newton**)
 - **StatElecSolve**: nodal charge (**Coulomb**)
 - **StatCurrentSolve**: nodal current (**Ampere**)
- Coupling between two solvers may be done either on the continuous or discrete level

Solver i

Calculate Loads = True

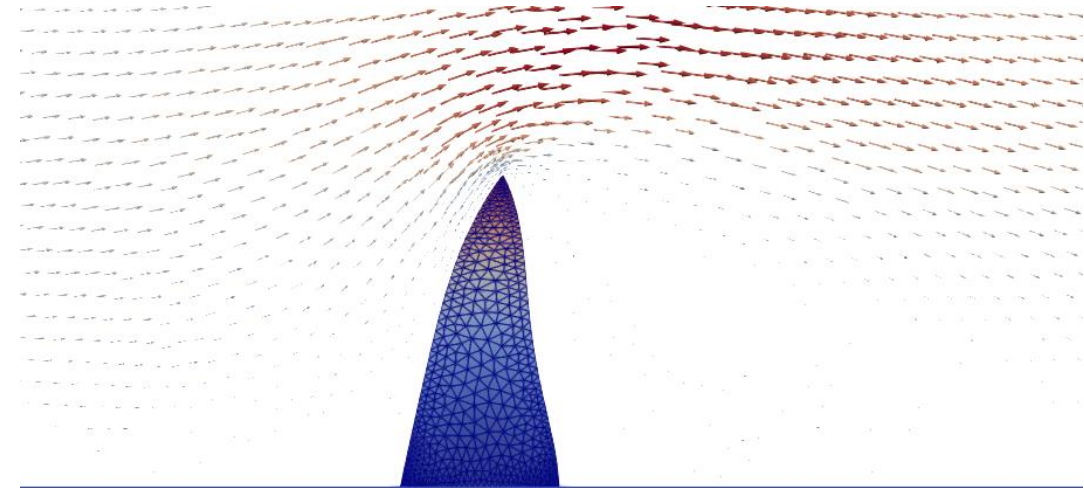
ElmerSolver – Setting nodal forces

- ElmerSolver allows for automatic setting of nodal forces to matrix equation r.h.s.
- The name is derived from the primary variable name
 - **HeatSolve:** Temperature Load
 - **FlowSolve:** Flow Solution i Load
 - **StressSolve:** Displacement i Load
 - **StatElecSolve:** Potential Load
 - ...
- Coupling between two solvers may be done either on the continuous or discrete (matrix) level
- Discrete level can often be done without any additional coding and it is at least as accurate!

$$f_{solid} = -f_{fluid}$$

Test case: fsi_beam_nodalforce
 Setting FSI conditions on the discrete level

Displacement 1 Load = Opposes "Flow Solution Loads 1"
 Displacement 2 Load = Opposes "Flow Solution Loads 2"



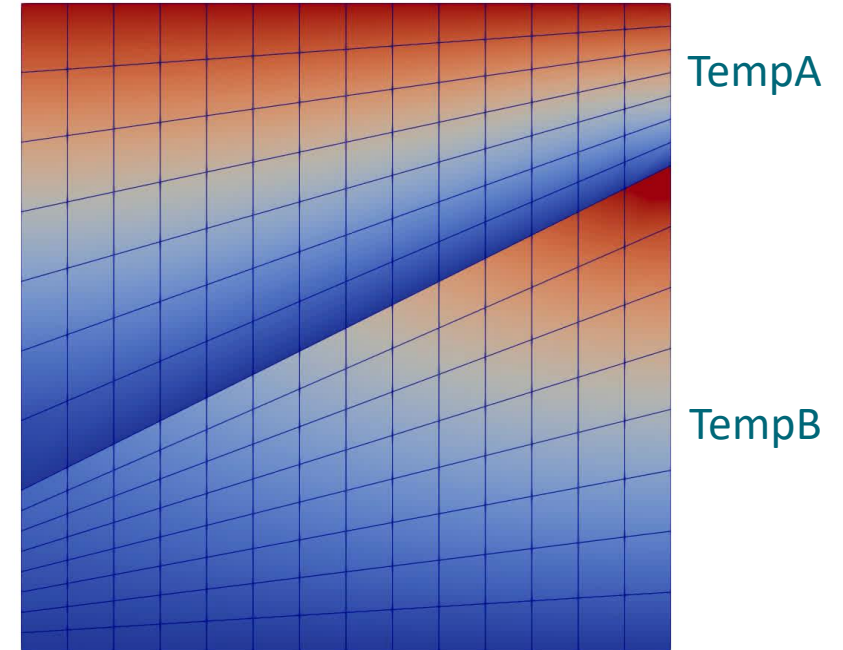
Test case: fsi_beam
 Setting FSI internally on continuous level
 Fsi Bc = True

Example: Dirichlet-Neumann Domain Decomposition

tests: DirichletNeumann

- Two equations for temperature: TempA and TempB
- We iterate on convergence solution such that
 - Same temperatures: $T_a = T_b$
 - Same fluxes: $-kdT_a/dn = kdT_b/dn$
- We use library functionalities
 - Dirichlet conditions
 - Computing nodal loads
 - Setting nodal loads
 - Steady state iteration
 - No coding required!

Iteration: 0



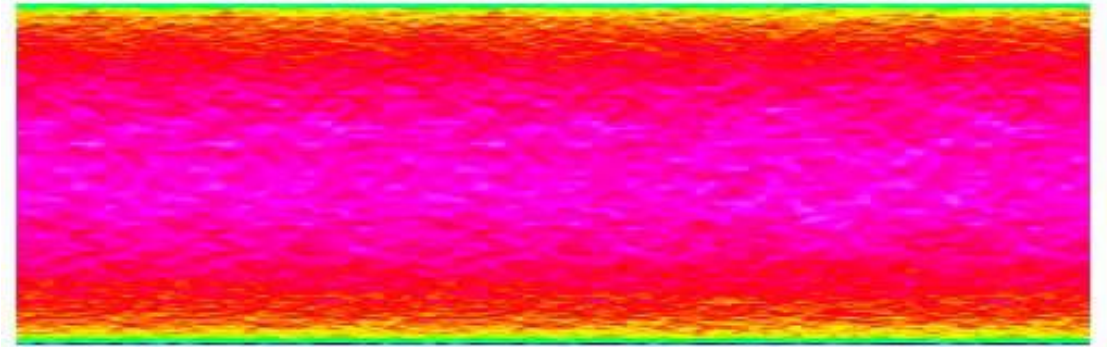
Boundary Condition 3
Name = "Interface"
Target Boundaries = 3

TempB = Equals TempA
TempA Load = Opposes "TempB Loads"
End

Periodic Boundary Conditions (node-to-surface)

- BC
 - **Periodic BC** = Integer
 - ! Give the corresponding master boundary
 - **Periodic BC Varname** = Logical True
 - ! Enforce periodicity for given variable
 - **Periodic BC Offset Varname** = Real
 - ! Enforce desired constant offset in values
 - ...
- Creates surface-to-node mapping and keeps the size of the linear system the same
- Accuracy optimal for conforming meshes only
- Accuracy not optimal for non-conforming meshes
 - Mortar Finite Elements

2D periodic LES simulation using VMS, by Juha Ruokolainen



Periodic BC = 2
 Periodic BC Pressure = Logical True
 Periodic BC Offset Pressure = Real 10.0
 Periodic BC Velocity 1 = Logical True
 Periodic BC Velocity 2 = Logical True

Mortar Boundary conditions (surface-to-surface)

- Solver
 - **Apply Mortar BCs** = Logical
 - ! Should the solver apply the conditions?
- BC
 - **Mortar BC** = Integer
 - ! Give the corresponding master boundary
 - **Galerkin Projector** = Logical
 - ! This enforces the weak projector for all dofs
 - **Mortar BC Static** = Logical
 - ! Projectors may be assumed to be static
 - ...
- Mapping of accuracy is optimal
 - Adds lagrange multipliers to the system
 - Convergence of linear system becomes more challenging
- Provides a framework for many complicated problems
 - Rotating boundary conditions
 - Contact mechanics
 - Symmetric & nonconforming
- Also antiperiodic systems supported

Periodic conditions (strong): $x_l = Px_r$

Mortar conditions (weak): $Qx_l - Rx_r = 0$

Example: continuity with mortar projector in 2D

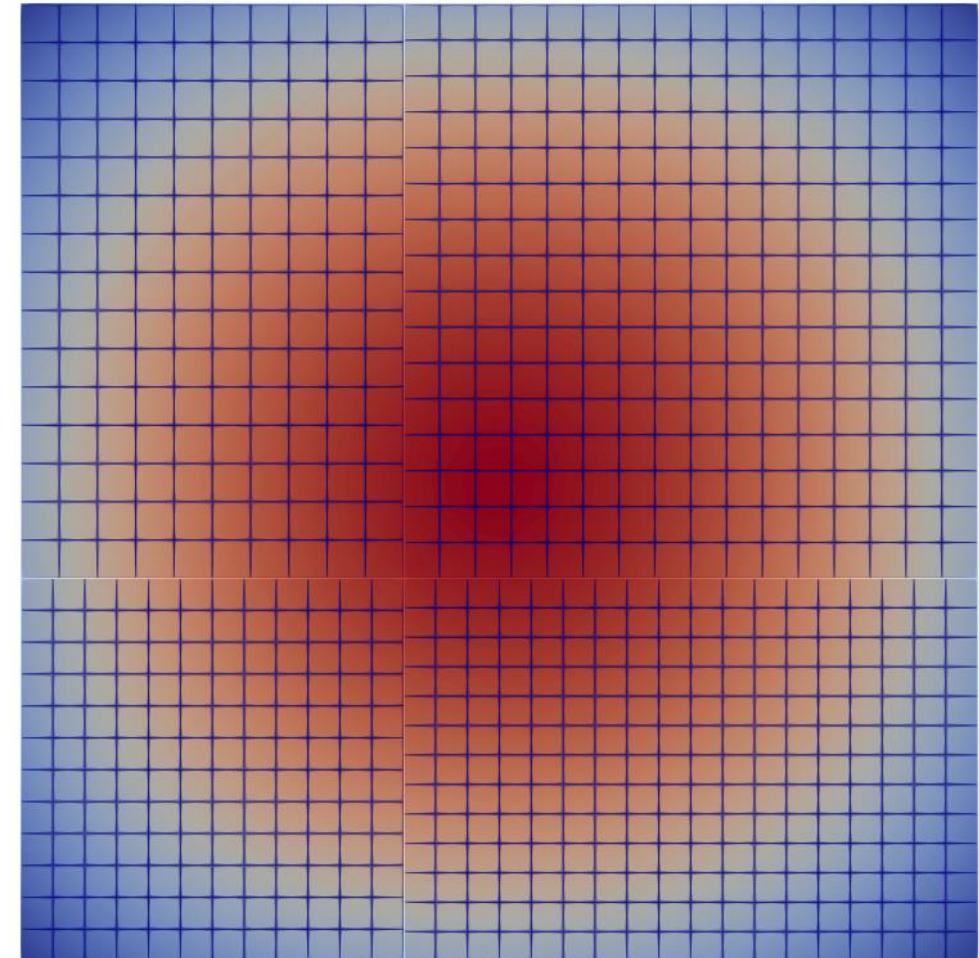
- Multiple mortar BCs possible at the same time
 - Weights may be summed up

```
Boundary Condition 6
  Target Boundaries(1) = 7
  Name = "Mortar Left Master"
  Mortar BC = Integer 7
  Galerkin Projector = Logical True
  Plane Projector = Logical True
End
```

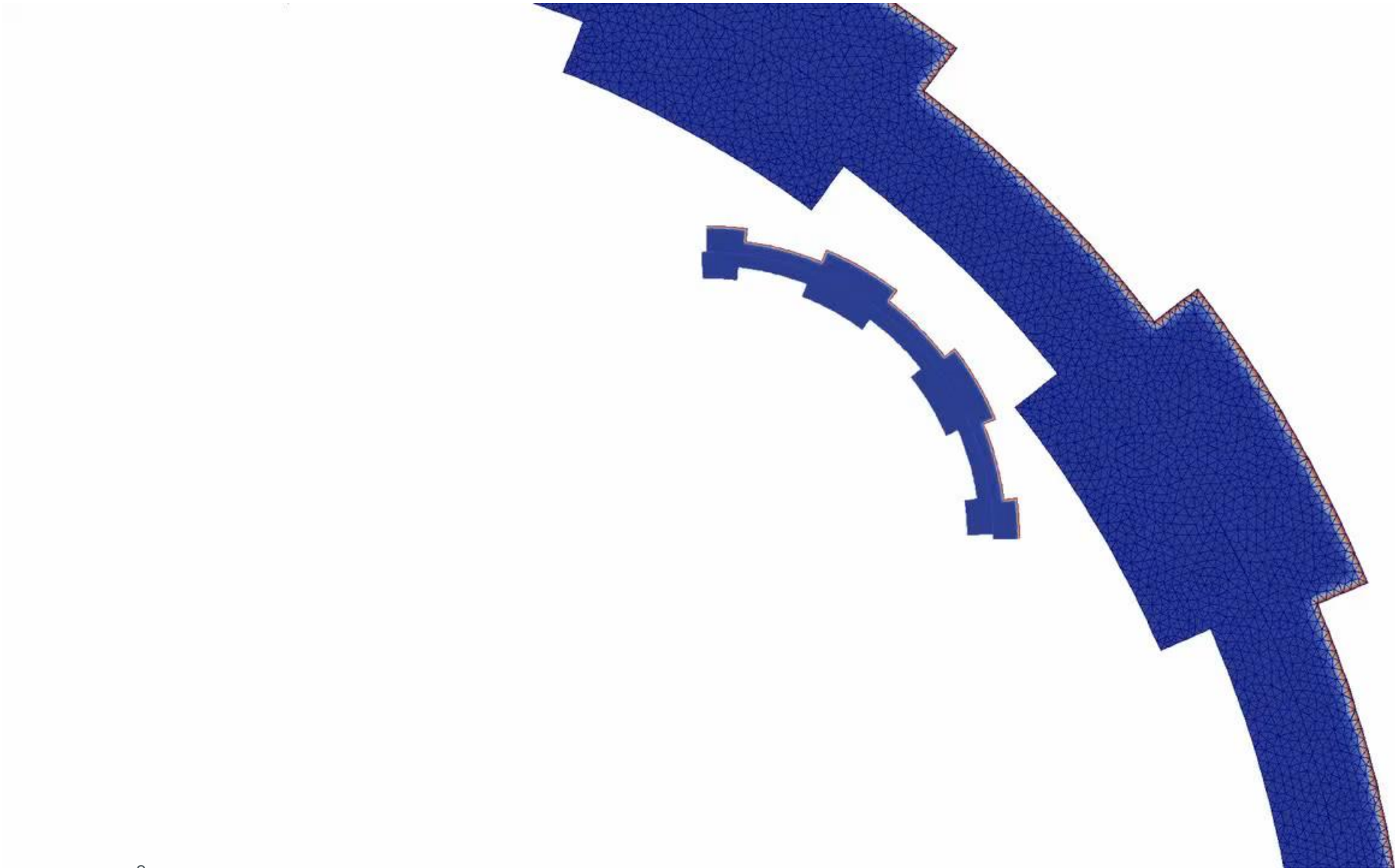
```
Boundary Condition 7
  Target Boundaries(1) = 6
  Name = "Mortar Left Target"
End
```

....

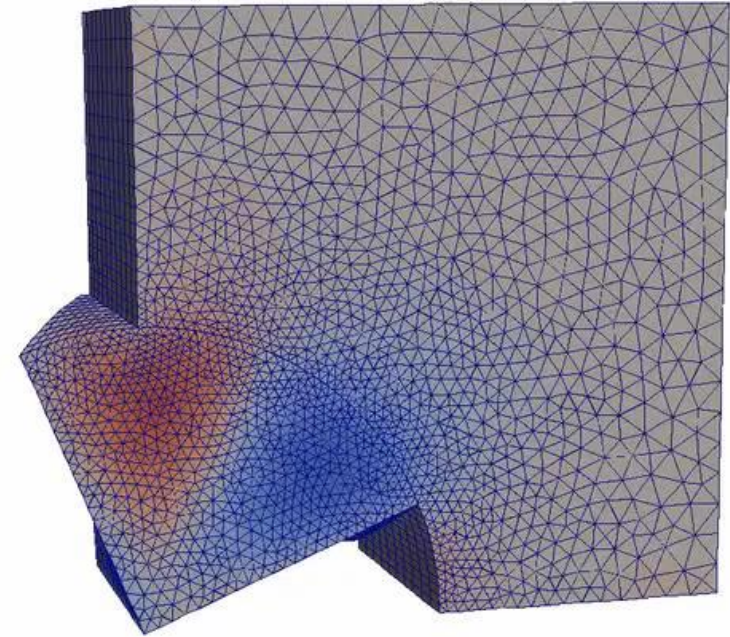
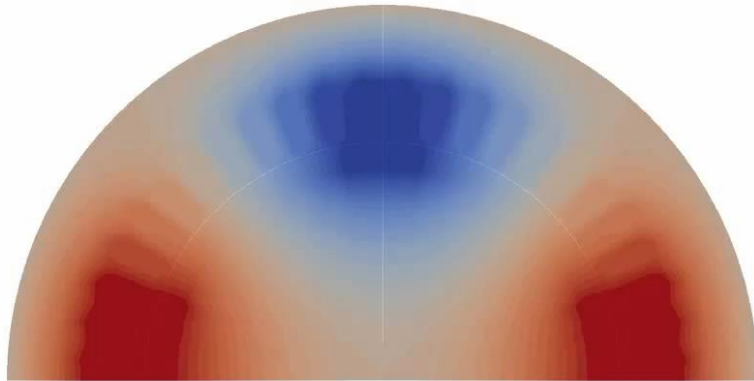
test case: MortarPoisson2Dsum



Example: toy model for temperature between 2D rotor and stator



Example: Rotating 2D and 3D "machines"



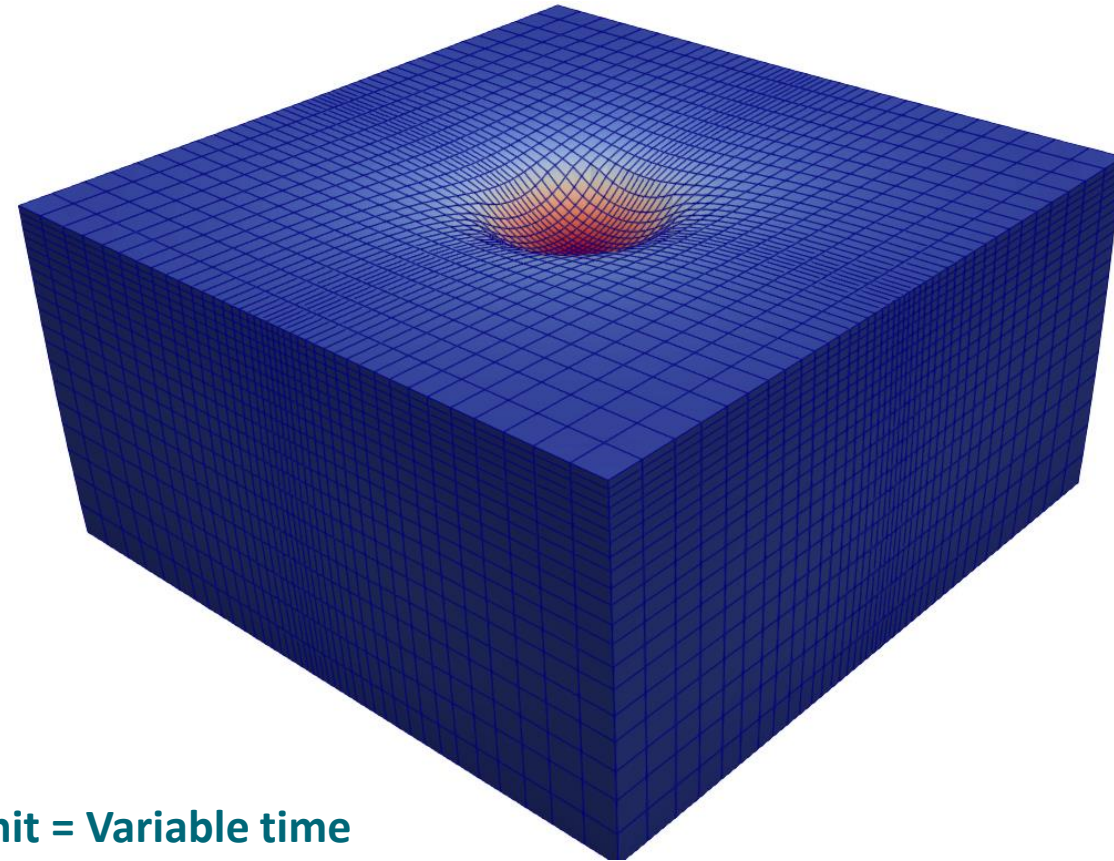
Comparison of shared boundary conditions in Elmer

BC type	Mortar BC	Periodic BC	Conforming BC
also known as	surface-to-surface	node-to-surface	elimination
Non-conforming BCs	YES	YES	NO
Matrix size	$N+M$	N	$N-M$
Spoils the matrix	YES	yes	NO
Edges possible	YES	NO	YES

Soft Limiters in Elmer (Inequality Constraints)

- General way to ensure min/max limit of solution
- A priori contact surface => soft limiters
- Uses two concepts
 - Nodal load evaluation
 - Contact set
- Applicable to
 - Heat equation
 - Elasticity
 - Richards equation
 - ...

test case: **LimitDisplacement2**



Solver 1
Apply Limiter = True

...

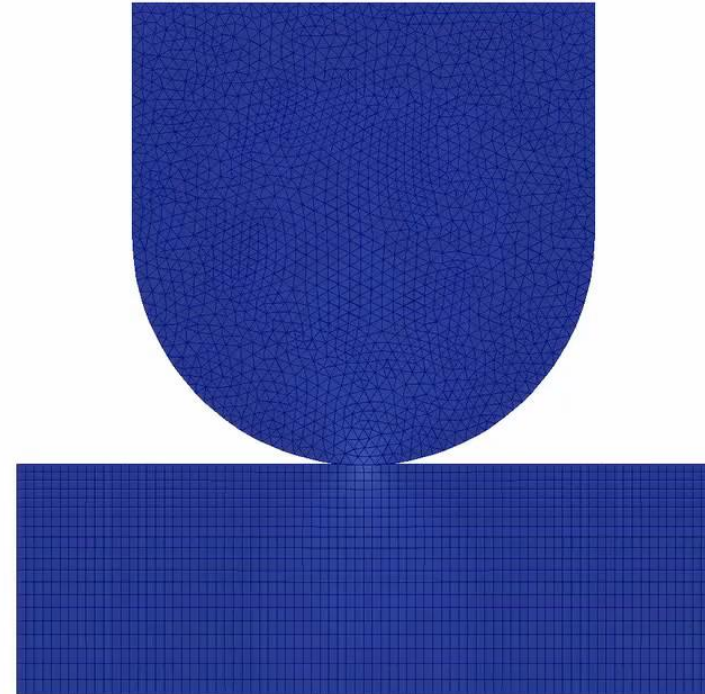
Boundary Condition 2
Name = "Contact"
Target Boundaries(1) = 6

Displacement 3 Upper Limit = Variable time
Real Procedure "ContactBC" "SphereBottom"
End

Hertz problem

Contact mechanics in Elmer

- Utilizes the optimal mortar methods + contact sets of soft limiters
- Results to difficult linear systems
 - Elimination by using dual basis test functions
- Some challenges in general cases i.e. with conflicting normals



Consistency between meshes (as opposed to boundaries)

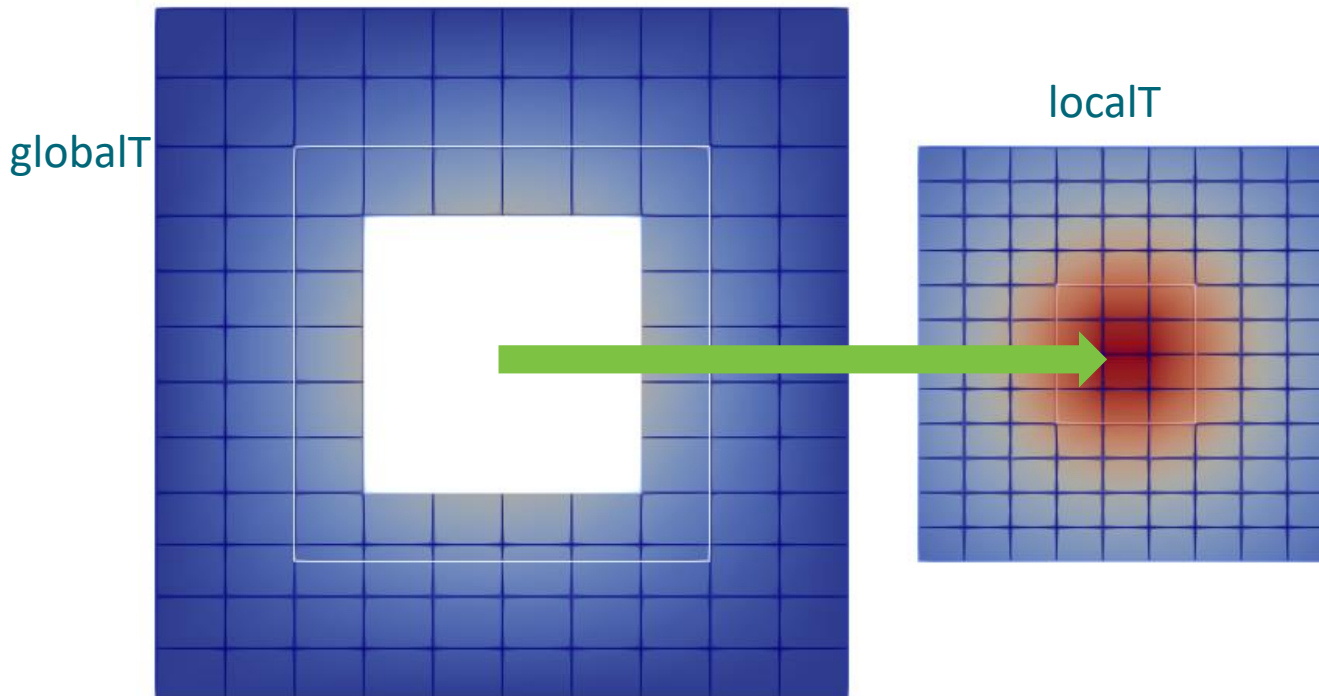
- Consistency between different meshes may only be enforced explicitly
- Mapping is done automatically when variables is needed
 - Octree search – optimal in speed

test case: multimesh

Boundary Condition 2
 Name = "Local2Global"
 Target Boundaries = 2
globalT = Equals localT
 End

Boundary Condition 3
 Name = "Global2Local"
 Target Boundaries = 3
localT = Equals globalT
 End

Triggers
 mesh-to-mesh
 interpolation



Summary

- ~100 Solvers that try to do some specific tasks
 - ElmerModels Manual
- ~200,000 lines of code in the library providing a wide variety of services
 - ElmerSolver Manual
- Many undocumented features still exist!

Discussion: where to go from here?

- Current focus in Elmer/Ice and electromechanics + some smaller projects
- Architectures change as a driver
 - Threading and GPU developments
 - Needed to take use of supercomputers
- Open source ecosystem
 - Focus to where there software shines
 - Take use of other tools when suitable -> interfaces
- Comments?

Most important Elmer resources

- <http://www.csc.fi/elmer>
 - Official Homepage of Elmer at CSC
- <http://www.elmerfem.org>
 - Discussion forum, wiki, elmerice community
- <https://github.com/elmercsc/elmerfem>
 - GIT version control
- <http://youtube.com/elmerfem>
 - Youtube channel for Elmer animations
- <http://www.nic.funet.fi/pub/sci/physics/elmer/>
 - Download repository
- Further information: elmeradm@csc.fi

**Thank you for
your attention!**